

The straight line l has equation $2x - 3y + 24 = 0$ and meets the coordinate axis at the points A and B.

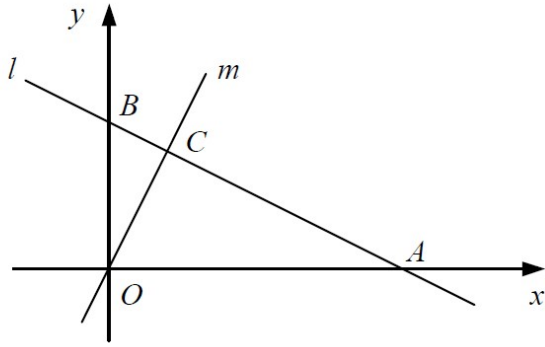
Find the distance of the midpoint of AB from the origin.

Give your answer in the form $k\sqrt{13}$

The points A and B have coordinates $(-1, k + 2)$ and $(2k - 3, 8)$ where k is a constant.

Given the gradient of AB is $\frac{1}{3}$

- (a) Show that $k = 4$ (2)
- (b) Find the equation of the line the passes through A and B . (3)
- (c) Find the equation of the perpendicular bisector of A and B . (4)
Give your answer in the form $ax + by + c = 0$



The diagram shows the straight line l with equation $x + 2y - 20 = 0$ and the straight line m which is perpendicular to l and passes through the origin O .

- a** Find the coordinates of the points A and B where l meets the x -axis and y -axis respectively. (2)

Given that l and m intersect at the point C ,

- b** find the ratio of the area of triangle OAC to the area of triangle OBC . (5)

The straight line l passes through the points $A (1, 2\sqrt{3})$ and $B (\sqrt{3}, 6)$.

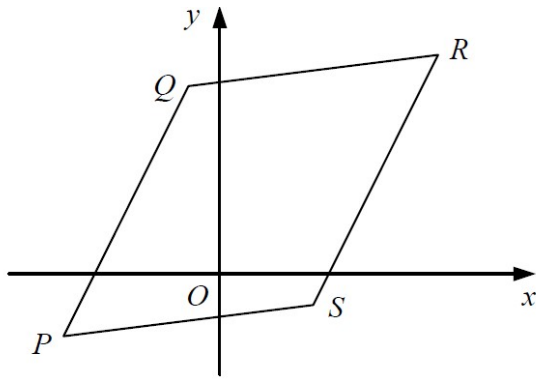
- a** Find the gradient of l in its simplest form.
- b** Show that l also passes through the origin.
- c** Show that the straight line which passes through A and is perpendicular to l has equation

$$x + 2\sqrt{3}y - 13 = 0.$$

The vertices of a triangle are the points $P(3, c)$, $Q(9, 2)$ and $R(3c, 11)$ where c is a constant.

Given that $\angle PQR = 90^\circ$,

- a** find the value of c , **(5)**
- b** show that the length of PQ is $k\sqrt{10}$, where k is an integer to be found, **(3)**
- c** find the area of triangle PQR . **(4)**



The points $P(-5, -2)$, $Q(-1, 6)$, $R(7, 7)$ and $S(3, -1)$ are the vertices of a parallelogram as shown in the diagram above.

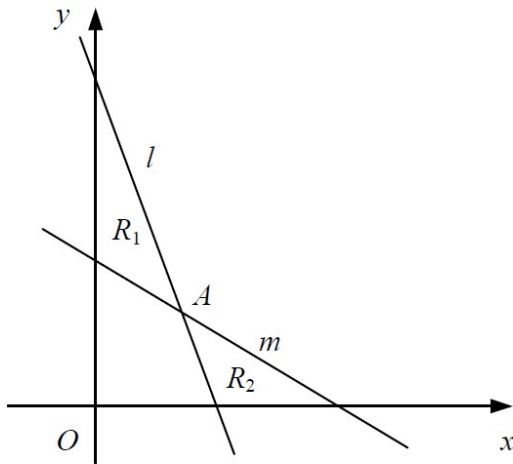
- a Find the length of PQ in the form $k\sqrt{5}$, where k is an integer to be found. (3)
- b Find the coordinates of the point M , the mid-point of PQ . (2)
- c Show that MS is perpendicular to PQ . (4)
- d Find the area of parallelogram $PQRS$. (4)

The point A has coordinates $(-2, 7)$ and the point B has coordinates $(4, p)$.

The point M is the mid-point of AB and has coordinates $(q, \frac{9}{2})$.

a Find the values of the constants p and q . (3)

b Find the equation of the straight line perpendicular to AB which passes through the point A . Give your answer in the form $ax + by + c = 0$, where a , b and c are integers. (5)



The line l with equation $3x + y - 9 = 0$ intersects the line m with equation $2x + 3y - 12 = 0$ at the point A as shown in the diagram above.

a Find, as exact fractions, the coordinates of the point A .

The region R_1 is bounded by l , m and the y -axis.

The region R_2 is bounded by l , m and the x -axis.

b Show that the ratio of the area of R_1 to the area of R_2 is $25 : 18$

The point A has coordinates $(-8, 1)$ and the point B has coordinates $(-4, -5)$.

- a** Find the equation of the straight line passing through A and B , giving your answer in the form $ax + by + c = 0$, where a , b and c are integers.
- b** Show that the distance of the mid-point of AB from the origin is $k\sqrt{10}$ where k is an integer to be found.

The straight line l_1 has gradient $\frac{1}{3}$ and passes through the point with coordinates $(-3, 4)$.

a Find the equation of l_1 in the form $ax + by + c = 0$, where a , b and c are integers.

The straight line l_2 has the equation $5x + py - 2 = 0$ and intersects l_1 at the point with coordinates $(q, 7)$.

b Find the values of the constants p and q .

The straight line l passes through the point $A (1, -3)$ and the point $B (7, 5)$.

a Find an equation of line l . (3)

The line m has the equation $4x + y - 17 = 0$ and intersects l at the point C .

b Show that C is the mid-point of AB . (4)

c Show that the straight line perpendicular to m which passes through the point C also passes through the origin. (4)

The straight line l has gradient $\frac{1}{2}$ and passes through the point with coordinates $(2, 4)$.

a Find the equation of l in the form $ax + by + c = 0$, where a , b and c are integers. **(3)**

The straight line m has the equation $y = 2x - 6$.

b Find the coordinates of the point where line m intersects line l . **(3)**

c Show that the quadrilateral enclosed by line l , line m and the positive coordinate axes is a kite. **(4)**